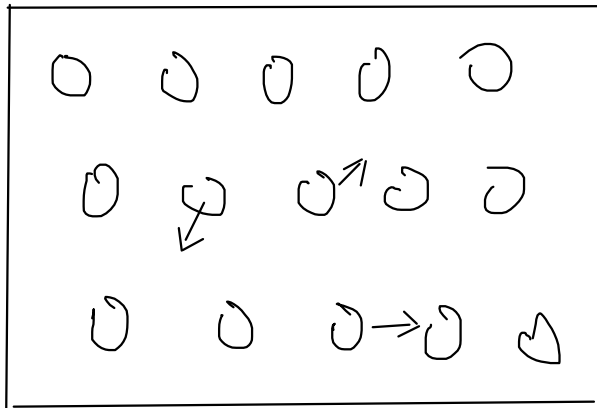


show an understanding that internal energy is determined by the state of the system and that it can be expressed as the sum of a random distribution of kinetic and potential energies associated with the molecules of a system

# Internal Energy

Dr K M Hock

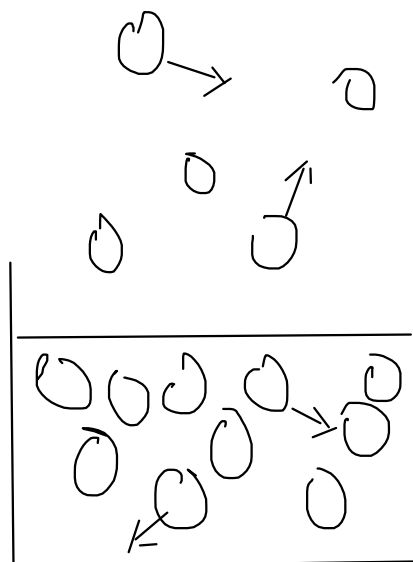
What is heat?



Molecules  
move  
↓  
Kinetic  
energy

Molecules

attract  
↓  
Potential  
energy



Heat  
↓  
KE ↑ PE ↑

Internal energy,  $U = PE + KE$   
of molecules

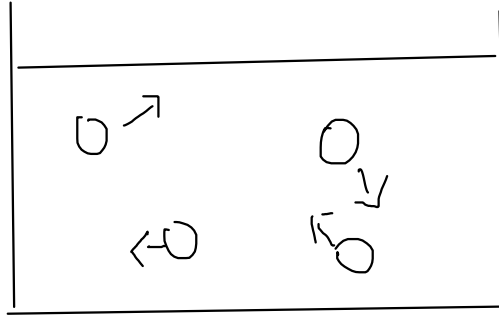
relate a rise in temperature of a body to an increase in its internal energy

# Temperature

Dr K M Hock

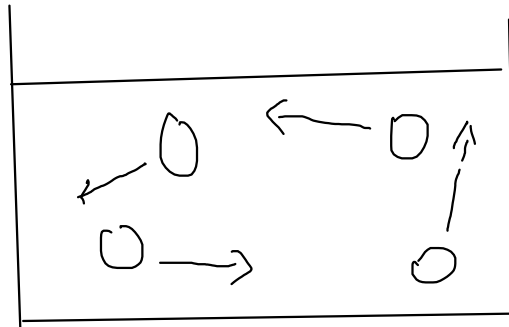
Internal Energy

25°C



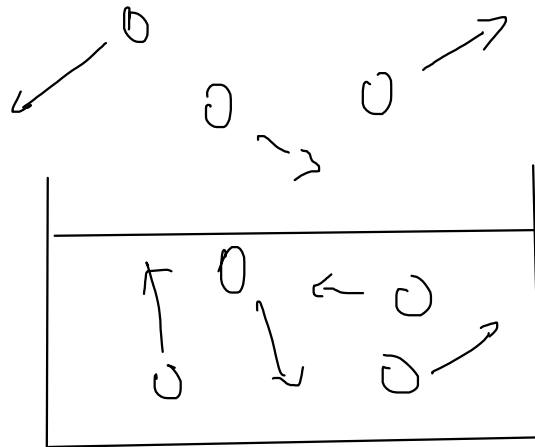
KE, PE

60°C



KE ↑, PE

100°C

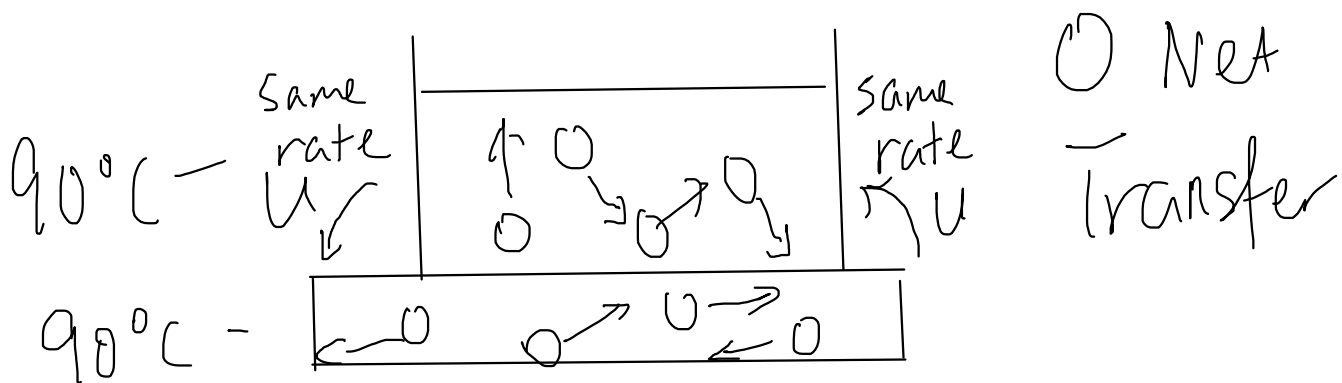
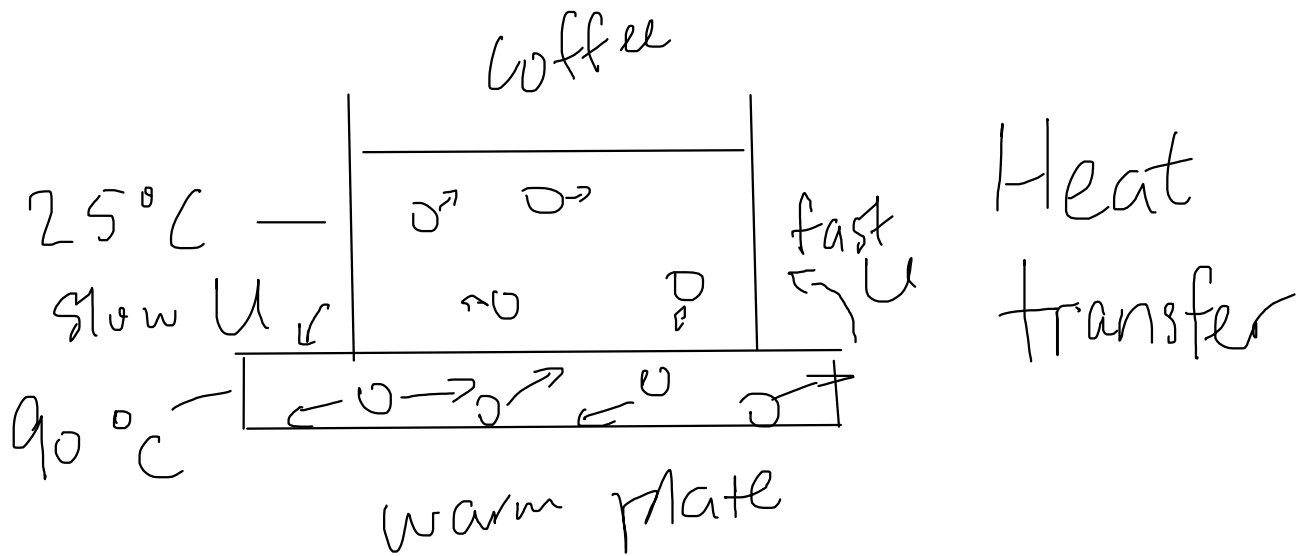


KE ↑ PE ↑

show an understanding that regions of equal temperature are in thermal equilibrium

# Thermal Equilibrium

Dr K M Hock



Thermal equilibrium



Equal temperature

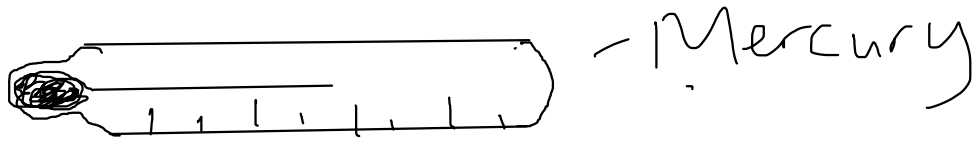
(bodies in contact)

show an understanding that there is an absolute scale of temperature which does not depend on the property of any particular substance, i.e. the thermodynamic scale

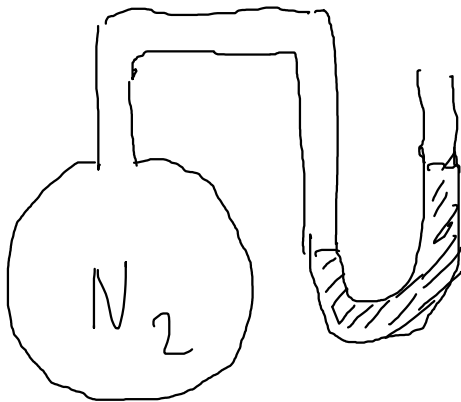
## Temperature Scale

Dr K M Hock

Thermometers make use of materials.



15°C - Can be a bit different if alcohol used.



298 K - Can also be a bit different if different gas used.

But if pressure very low  $\rightarrow$  ideal gas, does not depend on actual gas (material) used:

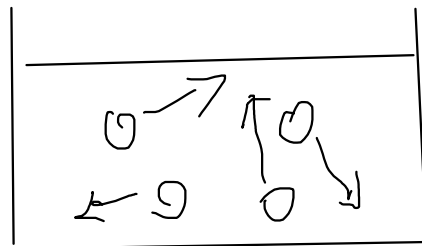
Absolute scale: 
$$T(K) = \theta(^{\circ}C) + 273.15$$

apply the concept that, on the thermodynamic (Kelvin) scale, absolute zero is the temperature at which all substances have a minimum internal energy

# Thermodynamic Scale

Dr K M Hock

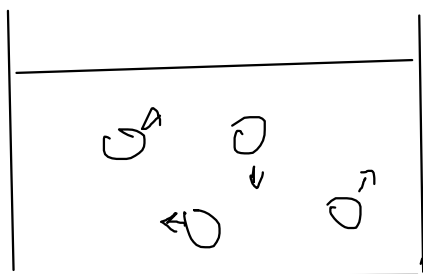
K      °C  
298.15    25



Internal energy

KE      PE

273.15    0

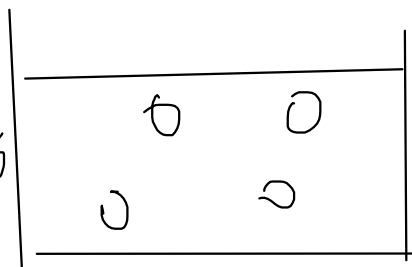


KE ↓

PE ↓

0

-273.15



KE

~0

PE

~0

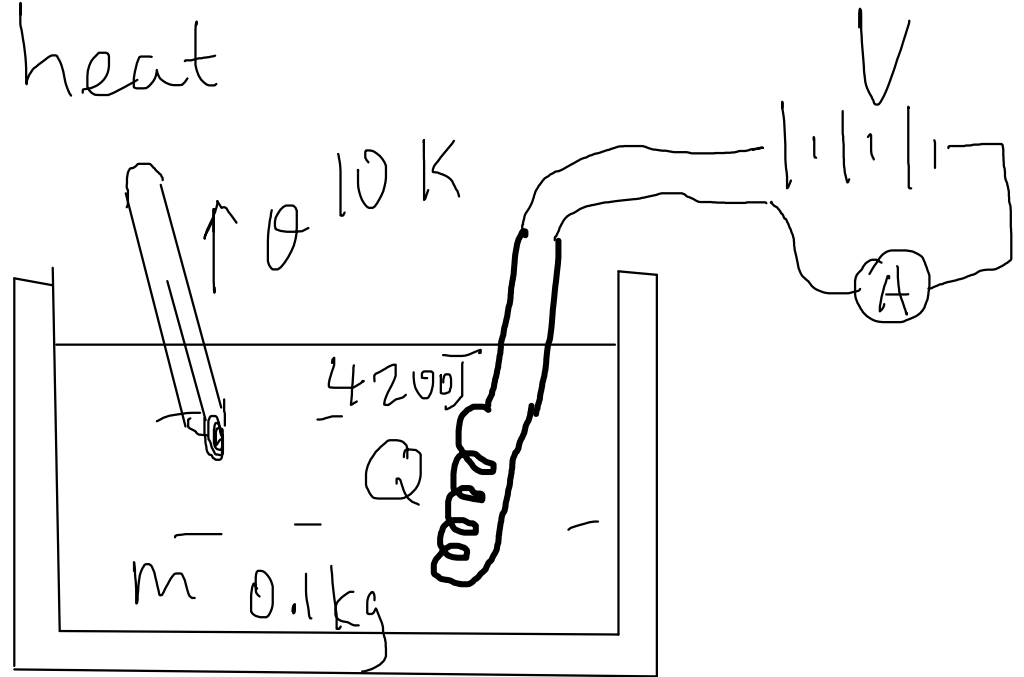
Absolute zero

define and use the concept of specific heat capacity, and identify the main principles of its determination by electrical methods

# Specific Heat Capacity

Dr K M Hock

$Q = \text{heat}$



e.g. How much heat is needed to warm 1 kg of the liquid by 1 K?  
 heat  $\sim 4200 \text{ J}$

Answer = 
$$\frac{\text{Mass} \times \text{temperature change}}{0.1 \text{ kg} \quad 10 \text{ K}}$$

$$c = \frac{Q}{m\theta} \quad \text{--- } VIt \text{ if electrical}$$

Specific heat capacity

per unit mass

# Specific Latent Heat

Dr K M Hock

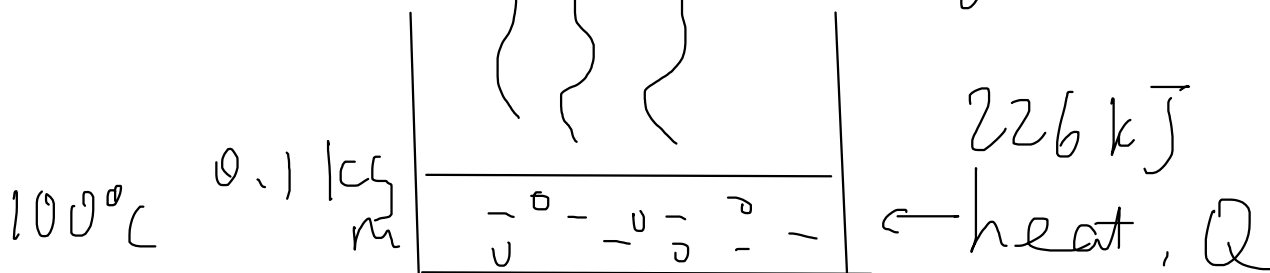
Melting - heat for 1 kg of ice?



specific latent heat of fusion =  $\frac{\text{heat} \sim 33.4 \text{ kJ}}{\text{mass} \sim 0.1 \text{ kg}}$

$$l_f = \frac{Q}{m}$$

Boiling - heat for 1 kg of water?



Specific latent heat of vaporisation  
per unit mass =  $\frac{\text{heat} \sim 226 \text{ kJ}}{\text{mass} \sim 0.1 \text{ kg}}$

$$l_v = \frac{Q}{m}$$

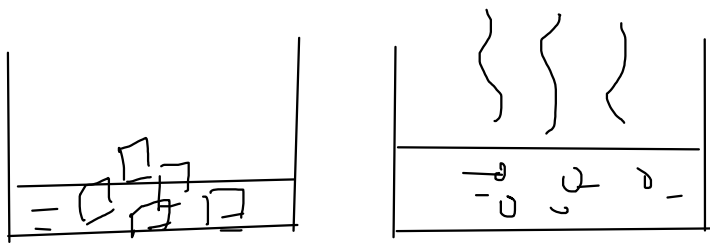
VIt if electrical

explain using a simple kinetic model for matter why (i) melting and boiling take place without a change in temperature (ii) the specific latent heat of vaporisation is higher than specific latent heat of fusion for the same substance (iii) cooling effect accompanies evaporation

# Simple Kinetic Model

Dr K M Hock

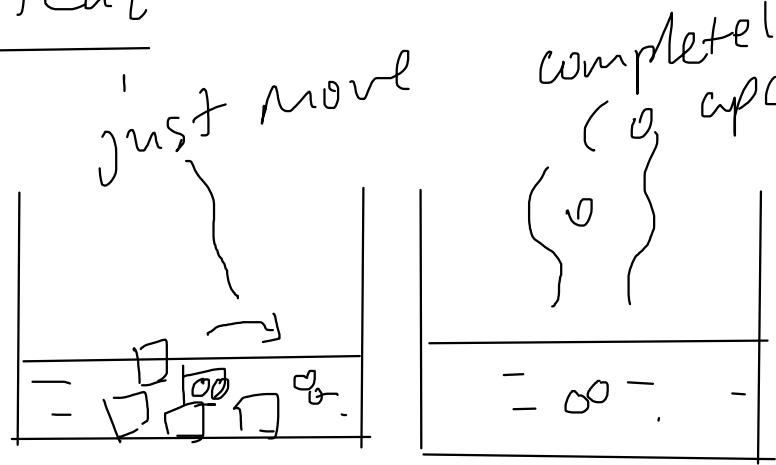
## Temperature fixed



heat  
↓  
Overcome attraction  
↓  
KE ~ same

## Specific Latent Heat

Much more heat to boil than to melt

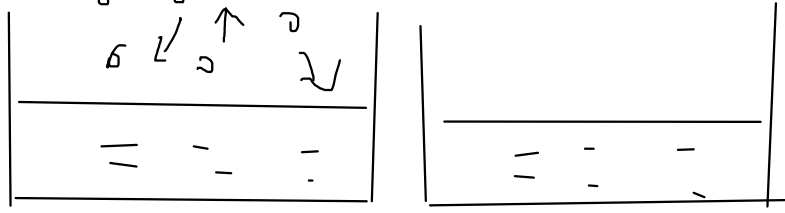


## Evaporation Cooling

Some go back down

blown off →

KE cannot go back in

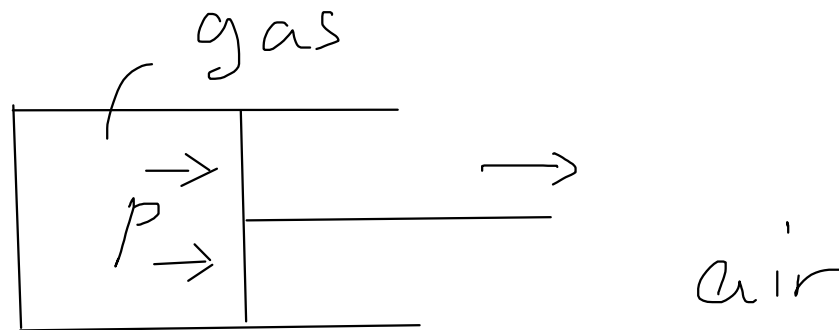




recall and use the first law of thermodynamics expressed in terms of the change in internal energy, the heating of the system and the work done on the system

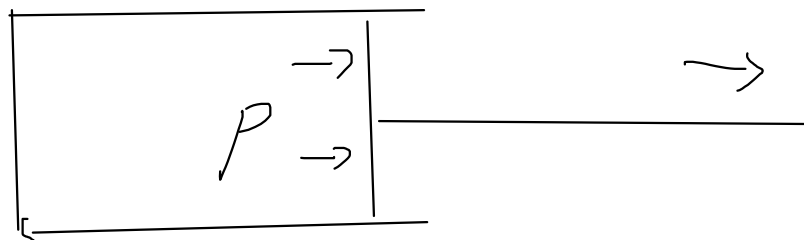
# 1st Law of Thermodynamics

Dr K M Hock



$Q$  heat  $\uparrow$   
Internal energy,  $U$   
 $W$ , work done by gas  
when it expands

}  $Q,$   
 $U,$   
 $W$



Conservation of energy

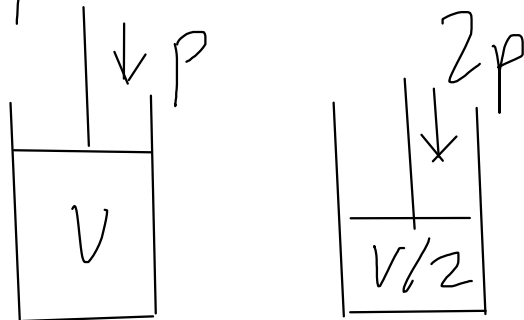
$$Q = \Delta U + W$$

$\uparrow$   
increase in  $U$

## Ideal Gas Law

Dr K M Hock

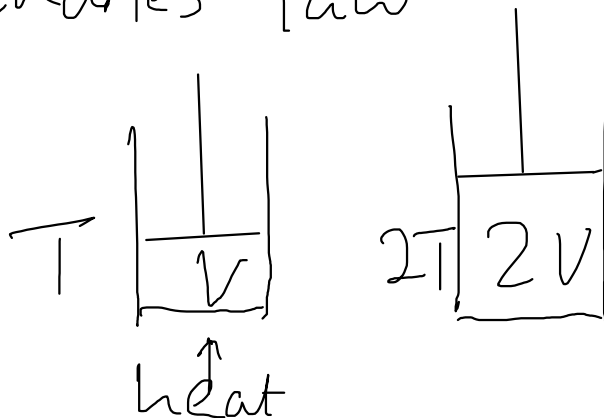
Boyle's law



$T$  fixed

$$V \propto \frac{1}{p}$$

Charles's law



$P$  fixed

$$V \propto T$$

Ideal Gas law

Combine

$$pV = nRT$$

no. of  
moles

$8.31 \text{ J/K/mol}$

$$V \propto \frac{T}{p}$$

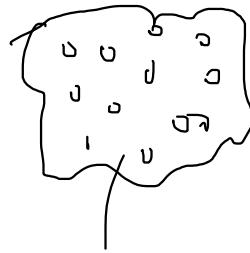
show an understanding of the significance of the Avogadro constant as the number of atoms in 0.012 kg of carbon-12

## Avogadro Constant

Dr K M Hock

$$N_A = 6.022 \times 10^{23}$$

Carbon-12



0.012g

$$\text{no. of atoms} = 6.022 \times 10^{23}$$

Way to count atoms.

$$6.022 \times 10^{23} \text{ particles} = 1 \text{ mole}$$

e-g 1 pair of shoes = 2 shoes

1 dozen eggs = 12 eggs

1 mole of carbon atoms =  $6.022 \times 10^{23}$  atoms

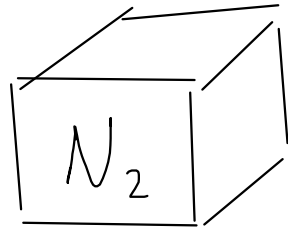
1 mole of  $O_2$  gas =  $6.022 \times 10^{23}$  molecules

use molar quantities where one mole of any substance is the amount containing a number of particles equal to the Avogadro constant

## Mole Concept

Dr K M Hock

e.g.



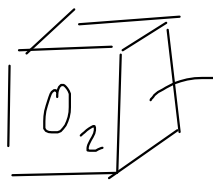
$$\begin{aligned}P &= 10^5 \text{ Pa} \\V &= 10^{-3} \text{ m}^3 \\T &= 300 \text{ K}\end{aligned}$$

Find the no. of moles of  $N_2$ ,  
and no. of molecules.

$$pV = nRT \rightarrow n = \frac{pV}{RT}$$

$$n = \frac{10^5 \times 10^{-3}}{8.31 \times 300} = 0.04011 \text{ mol}$$

$$\begin{aligned}\text{No. of molecules} &= n \times N_A \\&= 0.04011 \times 6.022 \times 10^{23} = 2.415 \times 10^{22}\end{aligned}$$

e.g.   $p = 10^5 \text{ Pa}$ ,  $T = 298 \text{ K}$ ,  $n = 1 \text{ mol}$ .  
Find  $V$ .

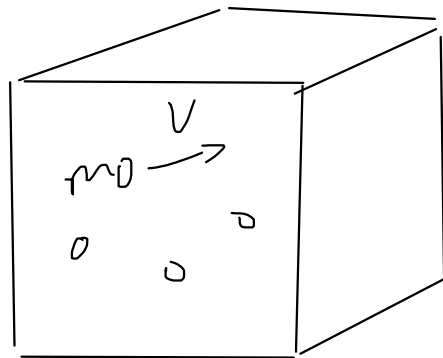
$$V = \frac{nRT}{p} = \frac{1 \times 8.31 \times 298}{10^5} = 0.024 \text{ m}^3$$

recall and apply the relationship that the mean kinetic energy of a molecule of an ideal gas is proportional to the thermodynamic temperature to new situations or to solve related problems.

## KE and Temperature

Dr K M Hock

Ideal gas



$$\frac{1}{2}mv^2 \propto T$$

(no PE  $\therefore$  no attraction)

e.g. if  $T \times 2$ ,  
then KE  $\times 2$ .

Total KE of molecules (1 mole)

$$U = \frac{3}{2}RT$$

( 8.31 J/K/mol